

## UNIVERSITY OF CAMBRIDGE INTERNATIONAL EXAMINATIONS International General Certificate of Secondary Education

CANDIDATE NAME				
CENTRE NUMBER		CANDIDATE NUMBER		

087179437

MATHEMATICS 0580/31

Paper 3 (Core) October/November 2013

2 hours

Candidates answer on the Question Paper.

Additional Materials: Electronic calculator Geometrical instruments

Tracing paper (optional)

## **READ THESE INSTRUCTIONS FIRST**

Write your Centre number, candidate number and name on all the work you hand in.

Write in dark blue or black pen.

You may use a pencil for any diagrams or graphs.

Do not use staples, paper clips, highlighters, glue or correction fluid.

DO NOT WRITE IN ANY BARCODES.

Answer all questions.

If working is needed for any question it must be shown below that question.

Electronic calculators should be used.

If the degree of accuracy is not specified in the question, and if the answer is not exact, give the answer to three significant figures. Give answers in degrees to one decimal place.

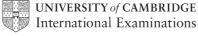
For  $\pi$ , use either your calculator value or 3.142.

At the end of the examination, fasten all your work securely together.

The number of marks is given in brackets [ ] at the end of each question or part question.

The total of the marks for this paper is 104.





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1	Pedro	iç	οn	a	cruise	shin
1	reuro	19	OII	а	Cluise	SIIIP

(a) The ship has a climbing wall.

These are the number of attempts that each of 30 people made at climbing the wall.

29	27	11	3	12	4	29	9	16	17	30	29	38	36	18
2	15	24	36	3	33	26	21	9	38	4	28	23	19	27

(i) Find the range.

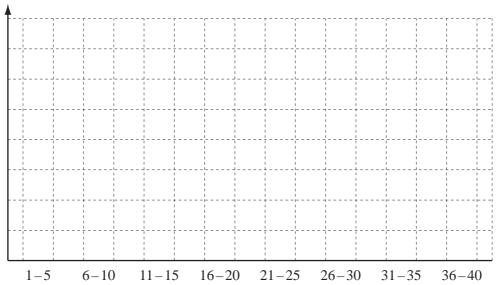
(ii) Complete the frequency table.You may use the tally column to help you.

Number of attempts	Tally	Frequency
1-5		
6-10		
11-15		
16-20		
21-25		
26-30		
31-35		
36-40		

[2]

(iii) Draw a bar chart to show this information. Complete the scale on the frequency axis.





Number of attempts

[3]

		Answe	<i>er(a)</i> (iv)[
Н	edro left the ship in Cadiz at 0 te returned to the ship at 1610 ind how long Pedro was in Ca		
		Answer(b)	hours minutes [
e)			1
		Exchange Rate	
(i	) Pedro changed \$167 into e	\$1 = €1.428	
(1)	Calculate how many euros Give your answer correct t	Pedro received.	
		Answe	<i>r</i> ( <i>c</i> )(i) € [
(ii	) Later, Pedro changed €107	1.10 back into dollars (	\$) using the same exchange rate.
	Calculate how many dollar	rs Pedro received.	
		Answei	r(c)(ii) \$[

For Examiner's

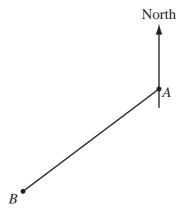
Use

(a)	(i)	1 and 1	20 are fa	ctors of 1	20.						
		Write o	lown ano	ther facto	or of 120.						
						A	nswer(a)(i)				[1]
	(ii)	Find th	e highest	common	factor of	120 and 9	00.				
							( )(")				F01
						Ai	nswer(a)(ii)				[2]
(b)		2	5	15	24	49	60	258	512		
	Fro	m the lis	st, write d	lown							
	(i)	a multi	ple of 30	,							
						Α	<i>inswer(b)</i> (i)				[1]
	(ii)	a squar	e number	r,		4	(1)(::)				£13
	(iii)	the cub	e root of	Q		Ai	nswer(b)(ii)			•••••	[1]
	(111)	the cut	ic 100t 01	0.		An	swer(b)(iii)				[1]
						717.	swer(o)(III)				[+]
(c)	Giv	e an exa	mple to s	show that	the follow	ring staten	nents are <b>no</b>	t true.			
	(i)	An odd	l number	multiplie	d by an ev	en numbe	er gives an o	dd number	r.		
										•••••	[1]
	(ii)	The cu	be of a ne	egative nu	ımber is po						
					Answ	<i>er(c)</i> (ii)			••••••	•••••	[1]
(d)					lete the fol		atements.				
	(i)	0.5			$\frac{3}{8}$						[1]
	(ii)	1.5		1	05%						[1]
	(iii)	0.78			11 14						[1]

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3 (a) The diagram shows the position of town A and town B, on a map.





(i) Measure the length, in millimetres, of the line AB.

*Answer(a)*(i) ..... mm [1]

(ii) Measure the bearing of town B from town A.

- (b) A triangular field has sides of length 550 m, 300 m and 400 m.
  - (i) Construct the triangle, using a ruler and compasses only.

    Use a scale of 1 cm to represent 50 m.

    The side of length 550 m has been drawn for you.

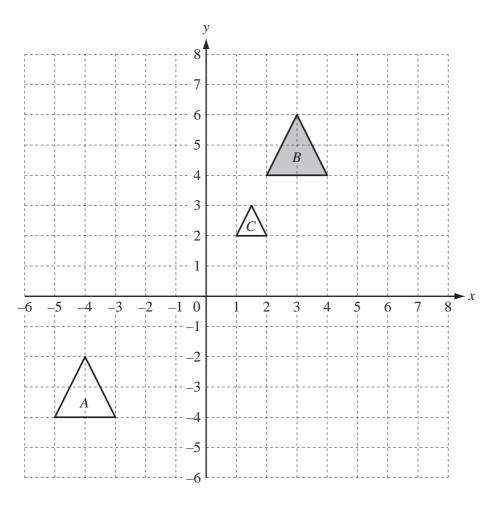
550 m

[3]

(ii) By making a suitable measurement on your diagram, calculate the area of the field. Give your answer in square metres.

Answer(b)(ii) ...... m<sup>2</sup> [3]





(a) (i) Describe fully the **single** transformation which maps shape *B* onto shape *A*.

Answer(a)(i)	
	[2]

(ii) Describe fully the **single** transformation which maps shape B onto shape C.

Answer(a)(ii)	
	[3]

- **(b) (i)** Reflect shape *B* in the *y*-axis. Label the image *D*. [1]
  - (ii) Rotate shape B through  $90^{\circ}$  anticlockwise about the origin. Label the image E. [2]

5	(a)	The cost,	\$0	of a	narty	for n	neonl	e ic	calculated	using	the	following	formu	la
3	(a)	THE COST,	φC,	or a	party	101 n	heobi	15	carcurated	using	uic	TOHOWINE	, ioiiiu	ıa.

$$C = 130 + 4n$$

- (i) Calculate C when n = 25.
- (ii) Eurdley has a party which costs \$1138. How many people is this party for?
- **(b)** Solve the following equations.
  - (i) 3x = 27

$$Answer(b)(i) x = \dots [1]$$

(ii) 8y - 4 = 24

(iii) 4(5q-2) = 72

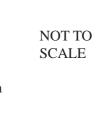
$$Answer(b)(iii) q = \dots [3]$$

(c) Solve the simultaneous equations.

$$6x + 8y = -31$$
$$14x - 5y = 46$$

$$Answer(c) x = \dots$$

$$y = \dots [4]$$



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 $30 \, \text{m}$ В **HOUSE** 17 m D

The rectangle ABCD shows Mr Liu's garden.

(a) Mr Liu puts a fence around three sides of his garden, AB, BC and CD. The fence costs \$3.28 per metre.

Calculate the cost of the fence.

*Answer(a)* \$ ...... [2]

(b) (i) Calculate the area of Mr Liu's garden.

*Answer(b)*(i) ..... m<sup>2</sup> [2]

(ii) Mr Liu uses an area of 408 m<sup>2</sup> in his garden for a lawn, flowers and vegetables. He divides this area into three parts, in the ratio

lawn:flowers:vegetables = 5:3:4.

Calculate the area used for each part.

Answer(b)(ii) Lawn ..... m<sup>2</sup> Flowers ..... m<sup>2</sup> Vegetables ..... m<sup>2</sup> [3]

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(c)	Mr Liu walks in a straight line across his garden from A to C.
	Calculate the distance Mr Liu walks.
	Answer(c) m [3]
( <b>d</b> )	Mr Liu has a circular pond, radius 4.5 m, in his garden.
	(i) Calculate the area of the pond.
	2.50
	Answer(d)(i)
	(ii) The pond is filled with water to a depth of 2 metres.
	Calculate the volume of water in the pond.
	Answer(d)(ii) $m^3$ [1]

7 (a) Complete the table of values for  $y = x^2 - x + 2$ .

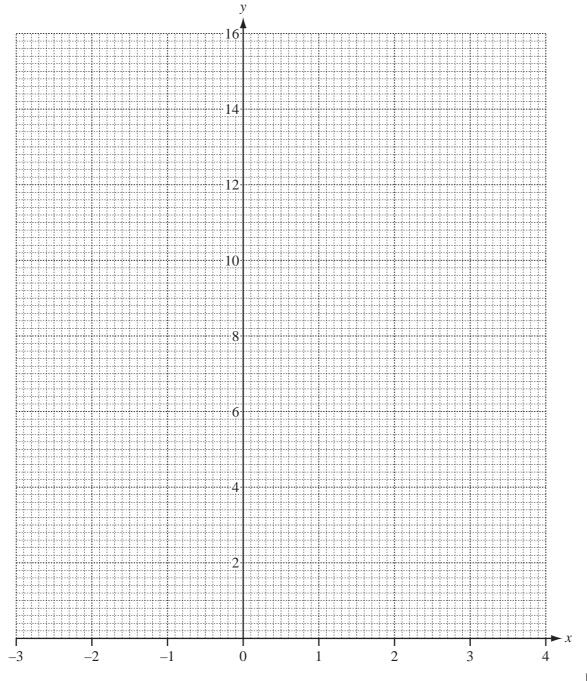
х	-3	-2	-1	0	1	2	3	4
у		8		2		4		

[3]

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**(b)** On the grid, draw the graph of  $y = x^2 - x + 2$  for  $-3 \le x \le 4$ .



[4]

-	à	d
-		П

(c)	Write down the equation of the line of symmetry of the graph.					
		Answer(c)	[1]			
(d)	<b>(i)</b>	On the grid, draw the line $y = 9$ .	[1]			
	(ii)	Solve the equation $x^2 - x + 2 = 9$ .				

Answer(d)(ii) x = .... or x = .... [2]

Month	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
Average temperature in °C	-4.4	-4.2	-2.7	0.3	4.8	9.1	11.8	10.8	6.7	2.7	-1.1	-3.3

The table shows the average temperature for Tromso, Norway each month.

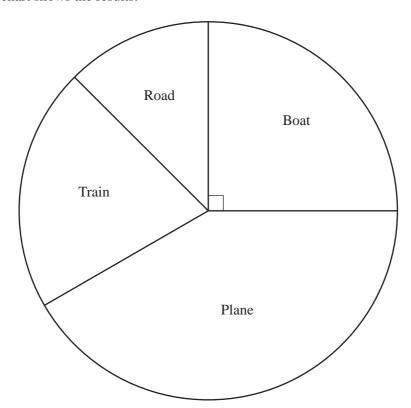
(a) (i) Write down the month which had the highest average temperature.

(ii) How much warmer was it in September than in February?

(iii) The lowest temperature in October was 12.3°C below the average temperature for that month.

Work out the lowest temperature in October.

**(b)** In a survey, some tourists were asked how they had travelled to Norway. The pie chart shows the results.

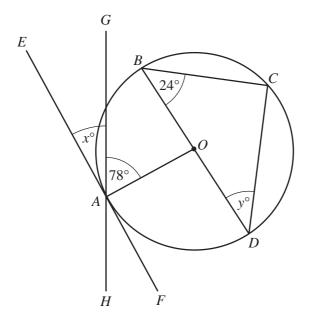


	<b>(i)</b>	150 of these tourists travelled by boat.
		Show that 600 tourists took part in the survey.
		Answer(b)(i)
		[1]
	( <b>ii</b> )	
	(II)	Calculate the number of these tourists who travelled by plane.
		Answer(b)(ii)
(c)		rain ticket from Oslo to Stavanger costs 885 krone.  ere is a discount of 12% on the total cost of the tickets for a group of 10 or more people.
	Cal	culate the cost of tickets for a group of 15 people.
		$Answer(c) \qquad krone [3]$
<b>(d)</b>	On	1 January 2000, the population of Norway was 4480000, correct to 3 significant figures.
	(i)	Write this number in standard form.
		$Answer(d)(i) \qquad [1]$
	(ii)	On 1 January 2011, the population of Norway was 4920000, correct to 3 significant figures.
		Calculate the percentage increase in the population.

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9

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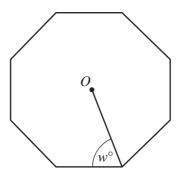


A, B, C and D are points on the circumference of a circle, centre O. EF is a tangent to the circle at A. GH is a straight line through the point A. Angle  $CBD = 24^{\circ}$  and angle  $OAG = 78^{\circ}$ .

(a) (i) Write down the mathematical names of lines BC and OA.

	Answer(a)(i) BC is a	
	OA is a	[2]
(ii)	Find the value of <i>x</i> , giving a reason for your answer.	
	$Answer(a)$ (ii) $x = \dots$ because	
		[2]
(iii)	Find the value of y, giving a reason for your answer.	
	$Answer(a)$ (iii) $y = \dots$ because	
	Thiswer(u)(iii) y =	[3]

(b) The diagram shows a regular polygon, centre O.



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(i) Write down the name of this polygon.

*Answer(b)*(i) ......[1]

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(ii) Find the value of w. Show all your working.

$$Answer(b)(ii) w = \dots [3]$$

(c) The exterior angle of another regular polygon is 24°.

Calculate the number of sides this polygon has.

*Answer(c)* ...... [2]

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